Defining Aesthesis Mathematically

For the variable X in the system, integrablized using Gore 2018,

[Note for integrablizing meaningful variables & their activities including functions using Gore 2018,

- -all system is quantifiably continuous in general system variable from primordial null variable-activity, via universal system variable-activity through to all variables themselves & their axes as there is continuing infinite variation from the system through to the infinitesimals given neutral infinite variation at the system origin from plain equality conjecture (Gore 2018). This leads system entities & phenomena to be quantified as activities over system points & compared with respect to their activities to yield the ultimate continuous quantitatively ordered system along with its qualitative description;
- unification is ultimately essential content & resource for emergent meaning for any entity or system; continuous ultimate unification corresponds to ultimate continuous integrability, e.g., of system variables & their functions;
- -the system could thus, be partitioned into successively meaningful i.e. increasingly unified-integrable variables & their such activities matching in pattern normally or complex way, from general original to intermediate through to the ultimate evolutionary teleology;
- -as all the parallel activities are neutrally additive & horizontally continuous, the meaningful integrable functions suggested above could be used instead of additives.]

System & Definitions:-

Consider the set of system atoms of index j, corresponding to set of ith variables x_i , with s_i self-ness to x_i , x-acti or x-activity including their magnitudes, changes Δ_x and other activities associated with them, where,

$$x - act_{i}^{total} = \sum_{j} x - activity_{j,i} = \int_{j} x - activity_{j,i}dj_{j,i}$$

$$= \int_{j} s_{i} \cdot x - act_{i,j}^{active} dj, \text{ where,}$$

$$s_{i} = x - act_{i}(definition(x_{i})) = \sum_{j} x - activity_{j,i}definitional = \int_{j} x - activity_{j,i}definitional. dj_{j,i}$$

$$x - act_{i}^{active} = x - act_{i}(post - definitional \ activity) = \sum_{j} x - activity - active_{j,i} = \int_{j} x - activity - active_{j,i}dj_{j,i}$$

$$\Delta_{x} = \sum_{j} \Delta x - activity_{j,i}definitional \wedge active = \int_{j} \Delta x - activity_{j,i}dj_{j,i}$$

$$p_{j,i} = (definitional \ active \ \overline{sign}(x_{j,i}) - act_{p,j,i}/1$$

$$p_{j,i} = (definitional \ active \ \overline{sign}(x_{j,i}) - activity)/1$$

The total general fitness defined in terms Sign fitnesses and their relation to the Sexwise fitnesses:-

$$total\ general\ fitness = [selfness\ of\ variable\ x][x-activity] = \sum_{i,j} s_i \cdot x - act_{i,j}$$

total general fitness $(x) = \int_i \int_i (|p \vee n \equiv sgn|)_{j,i} \{s_i \cdot x - act_{j,i}\} \cdot djdi$

$$= \int_{i}^{p=\infty} \int_{p=-\infty}^{p=\infty} [(|p_{p,j,i} \le 0|)\{s_i \cdot x - act_{p,j,i}\} + (|n|_{p,j,i})\{s_i \cdot x - act_{p,j,i}\} + (p_{p,j,i} > 0)\{s_i \cdot x - act_{p,j,i}\}] dpdi$$

$$= \int_{i} \int_{j} \int_{p=-\infty}^{p=\infty} (|p_{p,j,i} \leq 0|) \left\{ s_{i} \cdot x - act_{j,i} \right\} \cdot dp dj di + \int_{i} \int_{j} \int_{p=-\infty}^{p=+\infty} (|n|_{n,j,i}) \left\{ s_{i} \cdot x - act_{j,i} \right\} \cdot dp dj di + \int_{i} \int_{j} \int_{p=-\infty}^{p=+\infty} (p_{p,j,i} > 0) \left\{ s_{i} \cdot x - act_{j,i} \right\} \cdot dp dj di$$

i.e respectively,

total general fitness =

 $(female\ dynamic\ fitness, x-net \leq 0 \land x-act > 0,\ p_{j,i} \leq 0, \Delta_x < 0) +\\$ (female static fitness i.e. with $x - net \le 0 \land x - act > 0 \land p_{j,i} \le 0, \ \Delta_x = 0$)

- +(null neuter hermaphrodite fitness with $x net = 0 \land x act = 0 \land n_{i,i} > 0 \& \Delta_x = 0$)
- + (massed neuter hermaphrodite fitness with x net > $0 \land x$ act > $0 \land n_{i,i} > 0 \& \Delta_x = 0$)
- +(male static fitness with $x net > 0 \land x act > 0 \land p_{j,i} > 0 \& \Delta_x = 0$)
- + (male dynamic fitness $x net > 0 \land x act > 0, p_{j,i} > 0, \Delta_x > 0$)
- + (other intermediate fitnesses : (|inter| > 0) \land [($-\infty = p_{min}$) < ($p \neq 0$) < ($p_{max} = +\infty$)] \land $(n \neq \pm \infty)$;

 $=\int_{i}\int_{p\vee n} \ (|fem>0 \ i.e. \ p\leqslant 0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|neu=n>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j,i}^{active} \cdot d(p\vee n)di \ + \ \int_{i}\int_{p\vee n} \ (|mel=p>0|)_{p\vee n,j,i} \cdot x - act_{p\vee n,j}^{act_{p\vee n,j}^{act_{p\vee$ $(0|)_{p \lor n, i, i} \cdot x - act_{p \lor n, i, i}^{active} \cdot d(p \lor n) di$

$$= \int_i \int_{p \vee n} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(p \vee n) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(sx) di \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{act_{p \vee n, j, i}} \cdot d(sx) ds \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{act_{p \vee n, j, i}} \cdot d(sx) ds \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{act_{p \vee n, j, i}} \cdot d(sx) ds \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i}^{act_{p \vee n, j, i}} \cdot d(sx) ds \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j, i}^{act_{p \vee n, j, i}} \cdot d(sx) ds \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j}^{act_{p \vee n, j}} \cdot d(sx) ds \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j}^{act_{p \vee n, j}} \cdot d(sx) ds \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j}^{act_{p \vee n, j}} \cdot d(sx) ds \\ = \int_i \int_{sx} \ (|sx|)_{p \vee n, j}^{act_{p \vee n, j}} \cdot d(sx) ds$$

Total General Fitness in terms of Aesthetic/Strength Fitnesses:-

 $total general fitness = \int_i \int_j \int_{b=f}^{b=a} (|p \vee n|)_{b,p,j,i} \cdot s_i \cdot x - act_{b,p,j,i} \cdot dbdjdi \text{ where,}$

b towards its negative minimum f is intensity directional and b towards its maximum a, is aesthetic and anti-intense.

$$b(x) = beauty(x) = \int_{i} \int_{i} (|p_{j,i} - act| : p_{j,i} \le 0)_{j,i} \cdot s_{j,i} \cdot x - act_{j,i}^{active} \cdot d(j \lor p) di$$

$$affluence(x) = aff(x) = \int_{i} \int_{b=f}^{b=a} \left(\left| p_{j,i} - act \right| : p_{j,i} \le 0, i.e. \, af > 0 \right)_{i,i} \cdot s_{j,i} \cdot x - act_{p,j,i}^{active} \cdot d(p) di$$

$$affluence(x) = aff(x) = \int\limits_{i} \int\limits_{p \vee n} \left((|n:|n| > 0) \wedge p = 0 \right) \vee p < 0 \right)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} d(p \vee n) di$$

 $fitness(x) = ft(x) = \int_i \int_{itn=-\infty:b=a}^{itn=+\infty:b=f} (|(itn>0|)_{itn,j,i} \cdot x - act_{itn,j,i}^{active} \cdot d(itn)di \text{ where,} \\ intensity coefficient, itn_{itn,j,i} = p_{itn,j,i} = p_{p,j,i}$

$$fitness(x) = ft(x) = \int_{i} \int_{p \vee n} (|p > 0|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(p \vee n) di$$

total general fitness = aff(x) + ft(x)=

$$\int_{i} \int_{p \vee n} (|p \leqslant 0|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(p \vee n) di + \int_{i} \int_{p \vee n} (|p > 0|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(p \vee n) di$$

$$= \int_{i} \int_{af \vee int} (|af = -int| = |str|)_{p \vee n, j, i} \cdot x - act_{p \vee n, j, i}^{active} \cdot d(af \vee int) di$$

 $total general fitness = ft(x) + aff(x) = \int_{i} \int_{j} \int_{p>0} |p_{p,j,i}| \ x - act_{p,j,i} \cdot dpdjdi + \int_{i} \int_{j} \int_{p=-\infty}^{p=0} |p \vee n|_{p,j,i} \cdot x - act_{p,j,i} \cdot d(p \vee n)djdi, \ i.e.$ respectively,

= Fitness (Including survival and reproductive success) + Aesthetic Fitness

Equalities of Total General Fitness with Sign, Sex-wise & Strength fitnesses

& as (sgn) = (sx) = (str) as by definitions, $((p = mel = int = -af = -fem = -p)] \lor [(sgn \ n \equiv p = 0) = (sx \ neu \equiv (fem = mel = 0)) = (str \ 0 \equiv (af = int = 0))] \lor [sgn \ inter = sx \ inter = str \ inter \equiv p \& n \ inter]),$

$$\begin{aligned} & total\ general\ fitness\ (x) = \int_i \int_j \quad (|p \vee n|)_{j,i} \left\{ s_i \cdot x - act_{j,i} \right\} \cdot djdi \\ & = \int_i \int_{sgn} \quad (|sgn|)_{j,i} \left\{ s_i \cdot x - act_{j,i} \right\} \cdot d(sgn)di \\ & = \int_i \int_{str} \quad (|sx|)_{j,i} \left\{ s_i \cdot x - act_{j,i} \right\} \cdot d(sx)\ di \\ & = \int_i \int_{str} \quad (|str|)_{j,i} \left\{ s_i \cdot x - act_{j,i} \right\} \cdot d(str)di \end{aligned}$$

Relevant Formulae for this study:-

The quantity of interest is the Aesthetic Fitness. i.e.

$$\mathbf{b}(\mathbf{x}) = \int_{i} \int_{-\infty < \mathbf{p} \le \mathbf{0}} |str| \cdot s_i \cdot x - act_{p,j,i} \cdot dpdi = \int_{i} \int_{-\infty}^{\mathbf{p} \le \mathbf{0}} |p|_{j,i} \cdot s_i \cdot x - act_{p,j,i} \cdot dpdi$$

We have,

Fitness = dynamic male fitness + p > 0 fitness from inter, neu & fem;

& Aesthetic Fitness = Female Dynamic fitness + $p \le 0$ fitness from inter, neu & mel;

Total Female fitness= Aesthetic Fitness and Total Male fitness = Fitness including Survival and Reproductive Fitness;

However, a male or female organism's fitness could be a combination of both male and female components leading up to its own kind of net fitness.

 $Individual's fitness, I_f$

- = Fitness, F (Including for Reproductive \land Survival)
- + AestheticFitness, Æ
- = Malefitness, M_f + Femalefitness, F_f + Neuter fitness N_f
- + Intermediates Fitness Im_f