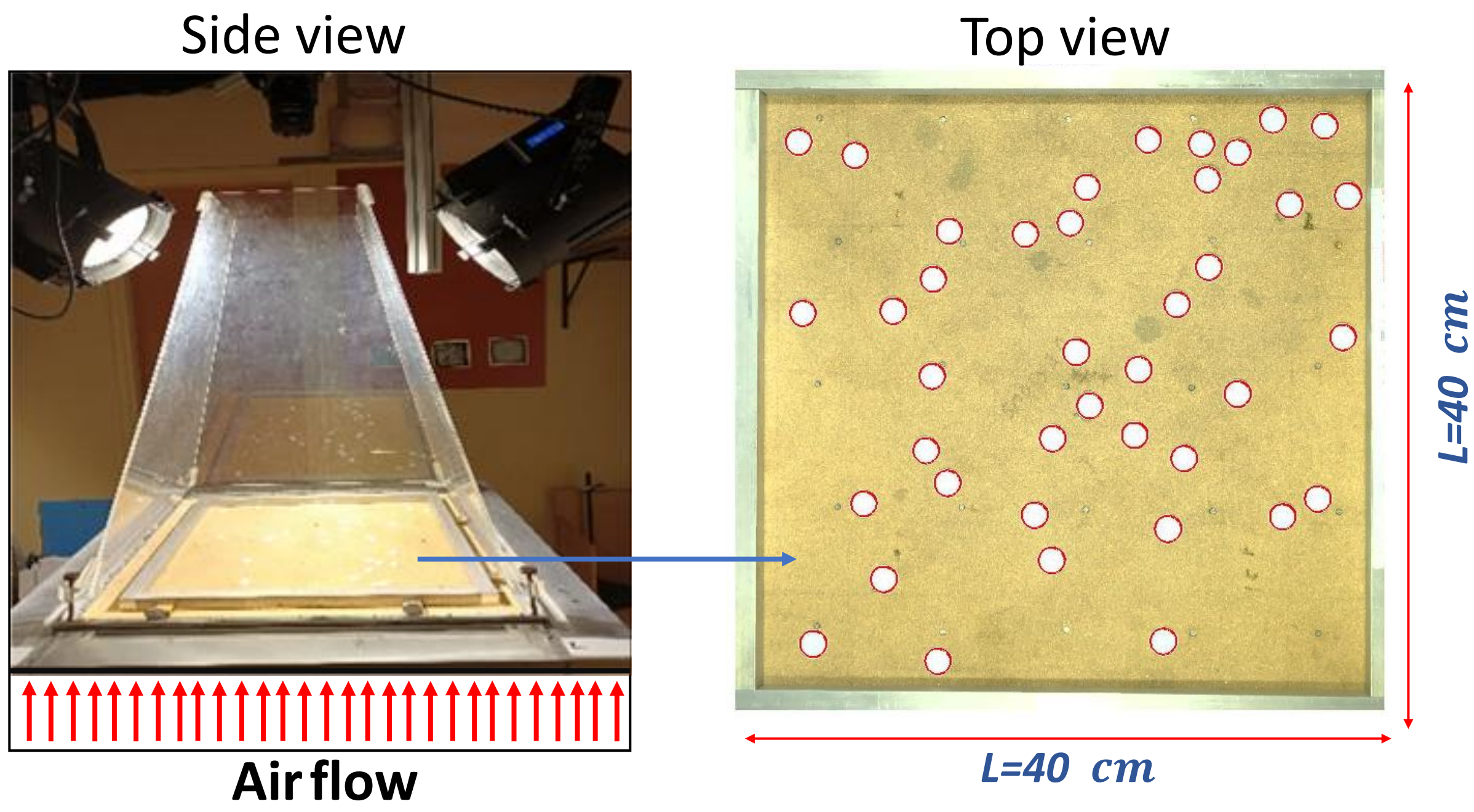


## Introduction

**Granular gases** are assemblies of colliding macroscopic particles. They differ from molecular gases as collisions are dissipative: energy input is required to maintain a gaseous state. Granular gases are well-described by a thermal-like kinetic theory in which the velocity fluctuations play the role of temperature. Granular gases exist in a **nonequilibrium steady state**. Whether **state variables (such as temperature)** can be defined generically for non-equilibrium steady states remains an open question.

- Issues**
- Stationary state:** Does it depend on energy injection?
  - Velocity distribution:** Gaussian or non-Gaussian velocity distributions?
  - Molecular chaos:** particle velocities are uncorrelated or correlated?
  - Equipartition of energy:** equally or nonequally partitioned kinetic energy in mixtures of different particles?
  - Temperature:** Can we define a granular temperature behaving like a true temperature?

## Experimental setup: Air table



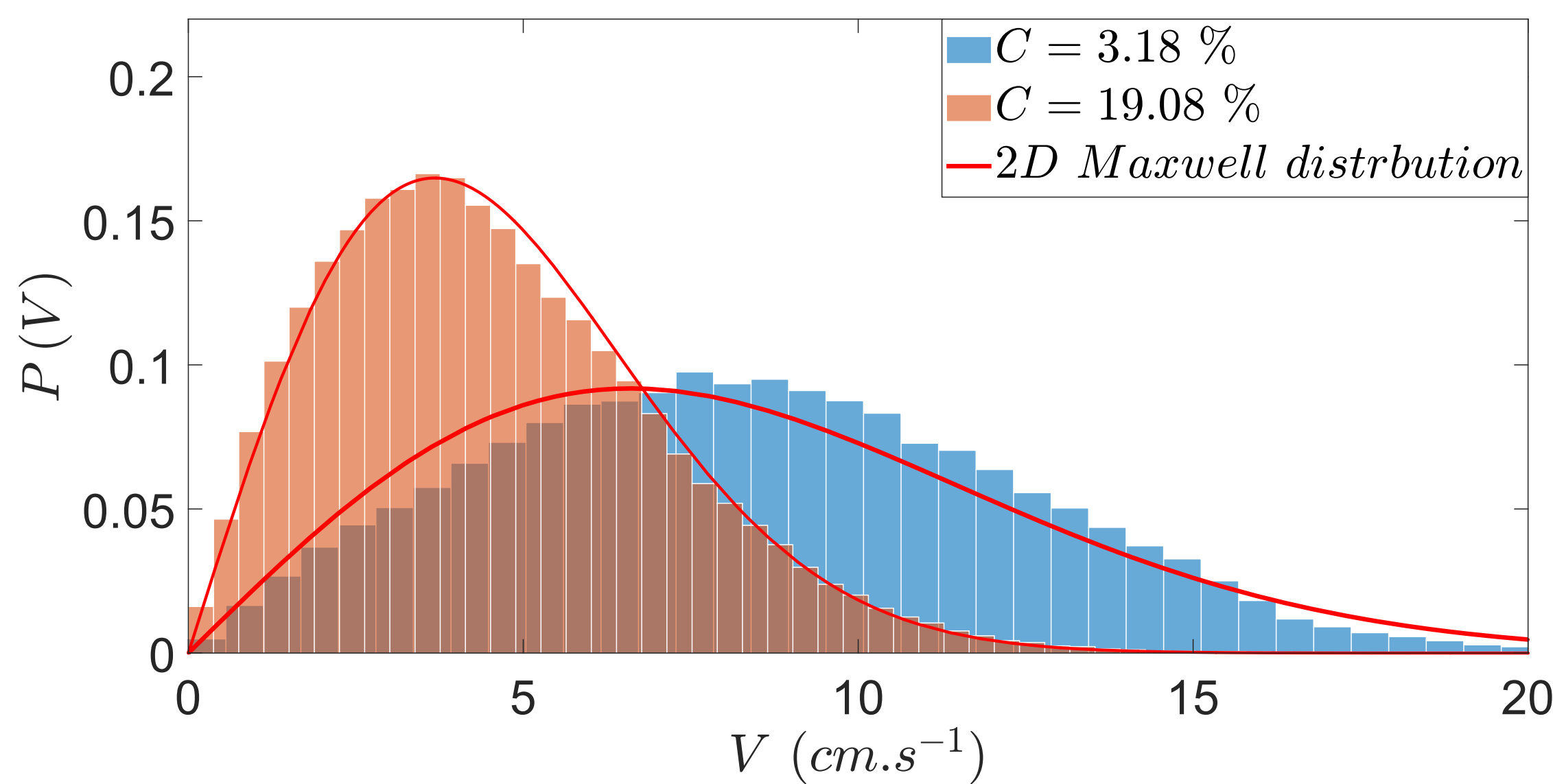
**Set-up:** horizontal air table. Energy injection through a relatively uniform flow of air via a porous plate (sintered bronze).  
Boundary: square metallic frame with side lengths of 40 cm  
**Particles:** collection of polystyrene discs floating on the porous plate and interacting mainly through binary collisions

## Parameters

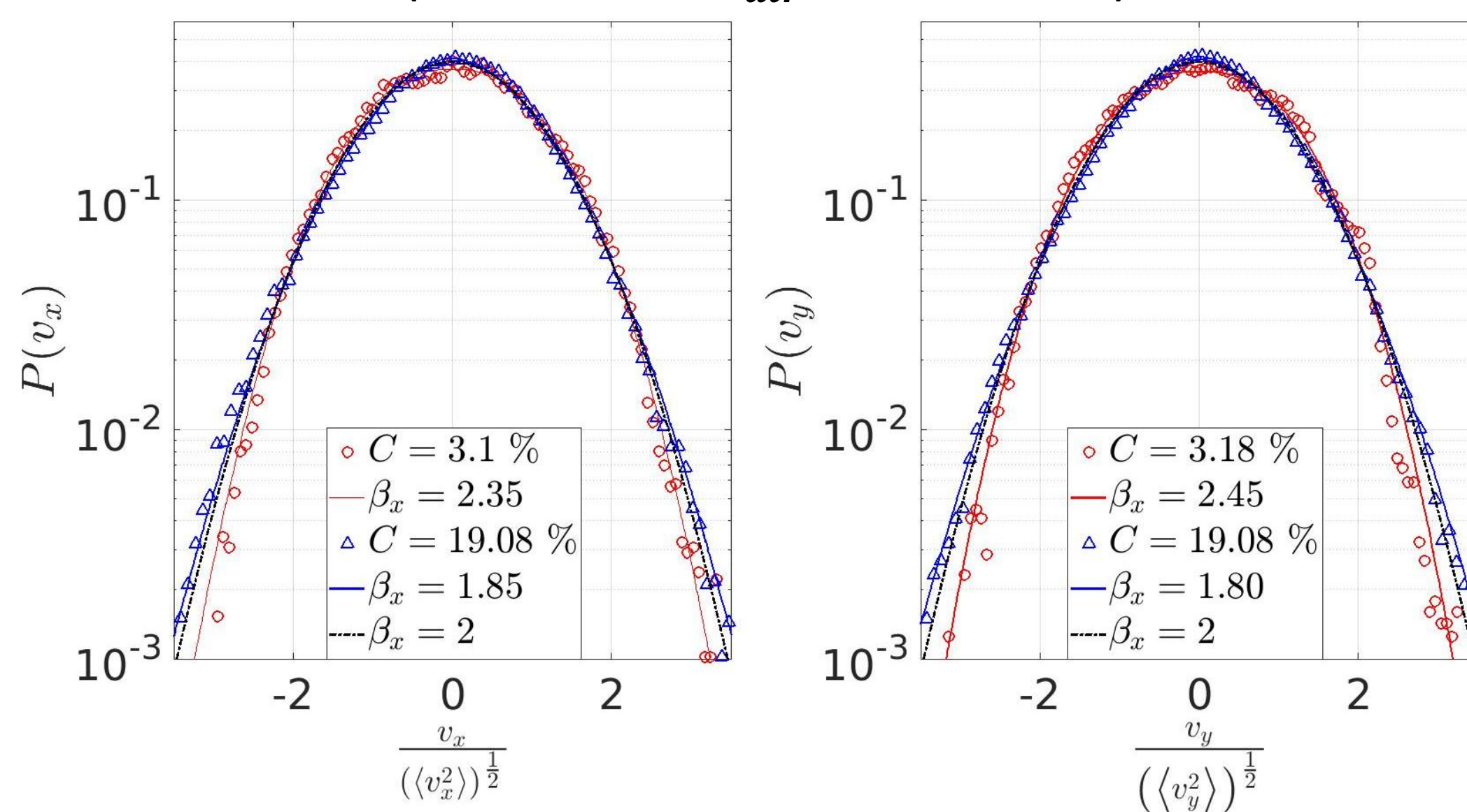
- System size:  $L=40$  cm
- Disc diameter  $d = 1.8, 2.4$  &  $3.0$  cm
- Disc thickness:  $W = 0.1$  cm
- Number of particles:  $N$  (1-500)
- Surface concentration:  $n = \frac{N}{L^2}$
- Area fraction:  $C = n\pi\left(\frac{d}{2}\right)^2$
- Air speed (at center of the table)  $v_{air} = 0.8 - 2.0$  m.s<sup>-1</sup>

## Velocity distribution

Distribution of the modulus of the particle velocity  $V$  for low (3%) and higher (19%) area fraction ( $d = 1.8$  cm,  $v_{air} = 0.8$  m.s<sup>-1</sup>)



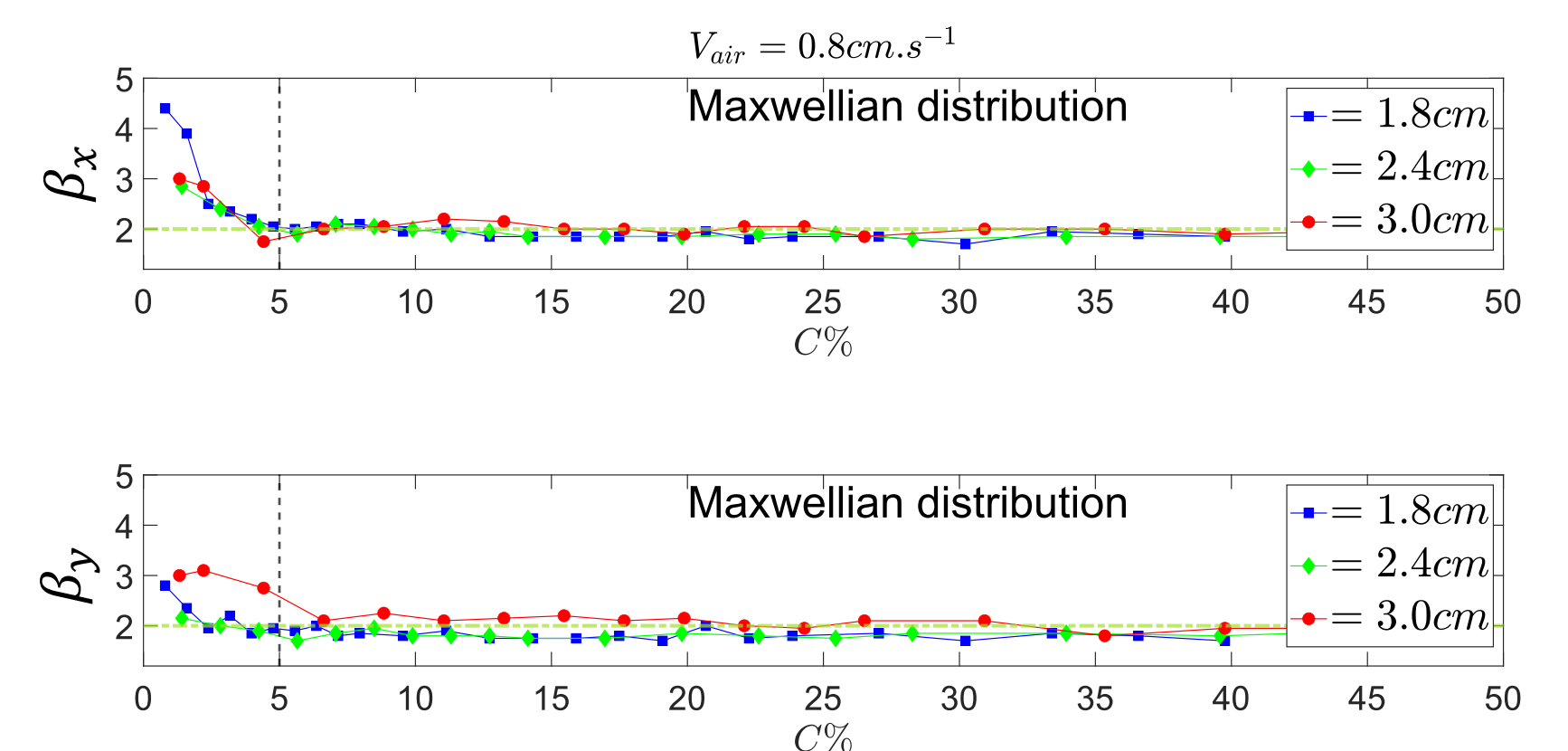
Distribution of each velocity component  $v_x$  and  $v_y$  for low (3%) and higher (19%) area fraction. ( $d = 1.8$  cm,  $v_{air} = 0.8$  m.s<sup>-1</sup>)



Generalized normal distribution:

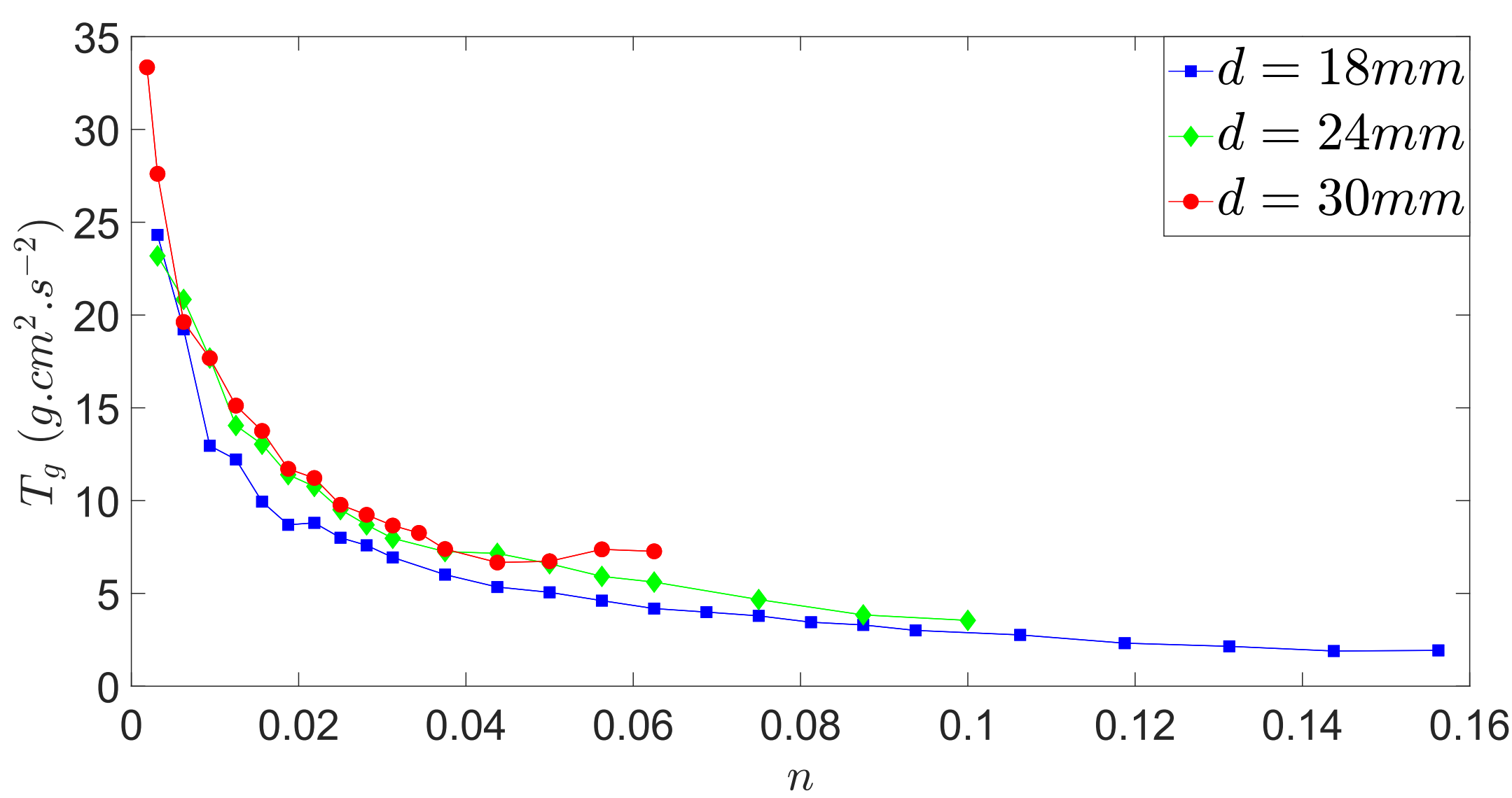
$$P(v) = \frac{\beta}{2\alpha\Gamma(\frac{1}{\beta})} e^{-\left(\frac{|v|}{\alpha}\right)^\beta}$$

With  $\alpha$  and  $\beta$  two free parameters



## Granular temperature $T_g$

( $v_{air} = 0.8$  m.s<sup>-1</sup>)

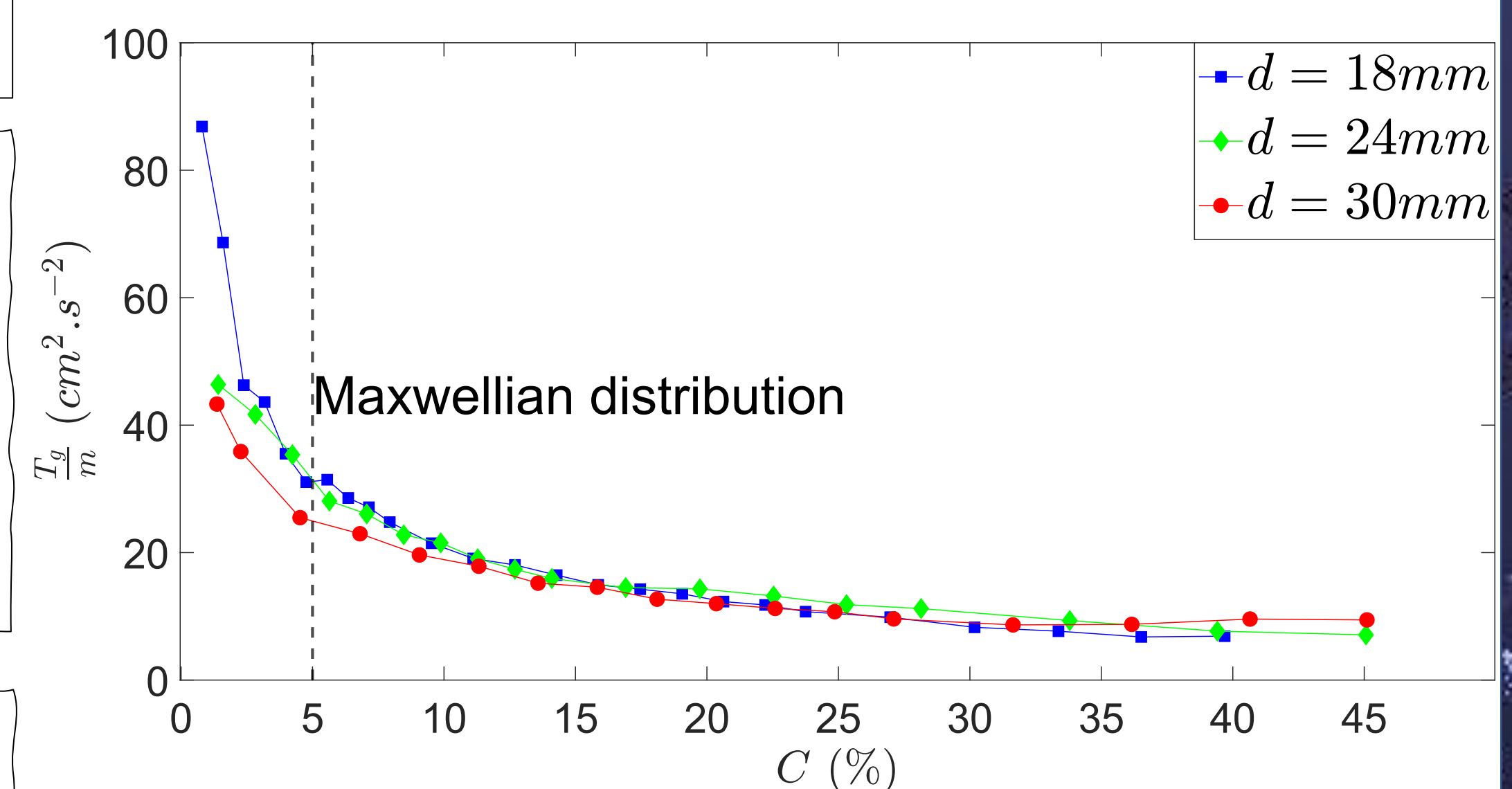


$\Rightarrow T_g$  is Independent of  $m$

$$\text{Granular Temperature: } T_g = \frac{m\langle v^2 \rangle}{2}$$

- $T_g$  decreases with increasing surface concentration  $n$ . This could be explained by the fact that when  $n$  increases the frequency of collision increases.
- When  $v_{air}$  and  $n$  are prescribed,  $T_g$  is independent of disc size (mass).

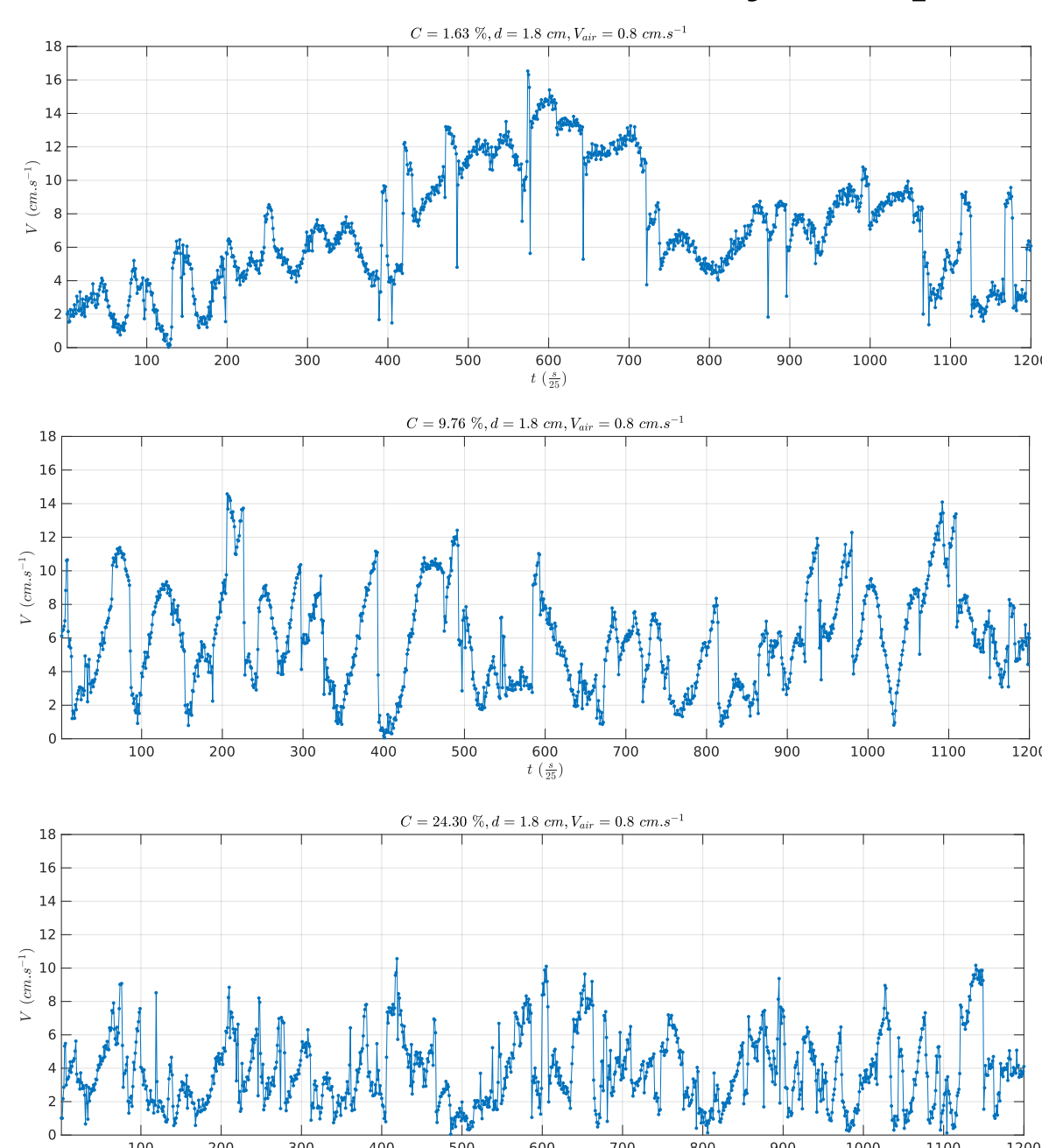
If we prescribe  $v_{air}$  and  $C$ ,  $T_g/m$  is independent of particle size.



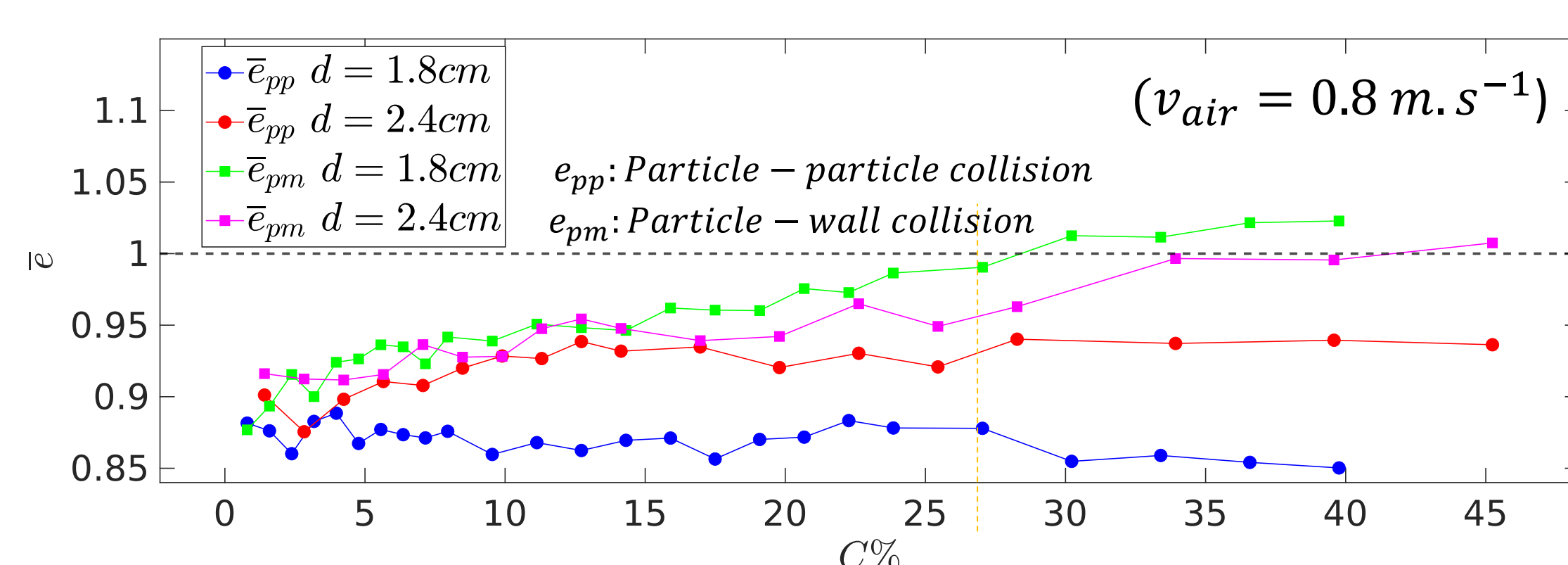
$T_g \propto m \Rightarrow \langle v^2 \rangle$  is independent of  $m$

## Collisions

Time evolution of the velocity of a particle



Variation of normal restitution coefficient  $\bar{e}$  of a particle with  $C$



- Discontinuities in the evolution of kinetic energy reveal collisions
- For  $C > 25\%$ , collisions are generally not independent.
- $\bar{e}_{pp}$  does not vary much with  $C$ , collisions involving smaller discs tend to be more dissipative.
- $\bar{e}_{pm}$  increases slightly with  $C$  but does not depend on the disc size.

## Conclusions and open issues

- Conclusions:**
- Velocity distribution obey Maxwell-Boltzmann.
  - At fixed  $n$ ,  $T_g$  Independent of  $m$ . At fixed  $C$ ,  $T_g \propto m$
- Open issues:**
- Energy exchange: identifying when a disc gains and loses energy
  - Polydisperse granular gas: Velocity distribution, equipartition?

## References

Lemaître J., Gervois A., Peerhossaini H., Bideau D., Trodec J. : An air table designed to study two-dimensional disc packings: preliminary tests and first results. Journal of Physics D: Applied Physics 23(11), 1396 (1990).  
Ippolito I., Annic C., Lemaître J., Oger L., Bideau D. : Granular temperature: Experimental analysis. Phys. Rev. E 52, 2072 (1995).  
Rouyer F., Menon N., Velocity fluctuations in a homogeneous 2D granular gas in steady state. Phys. Rev. Lett. 85.17, p. 3676 (2000).  
Sadah, R., Valance, A., Delannay, R. : Statistical Properties of a 2D granular gas in microgravity. [Manuscript in preparation].